

# Weight Function Model for Quantitative Analysis of Functional Resonance Analysis Method

Yuranan Kitrungrotsakul  
WITZ Corporation, Japan  
yuranan@witz-inc.co.jp

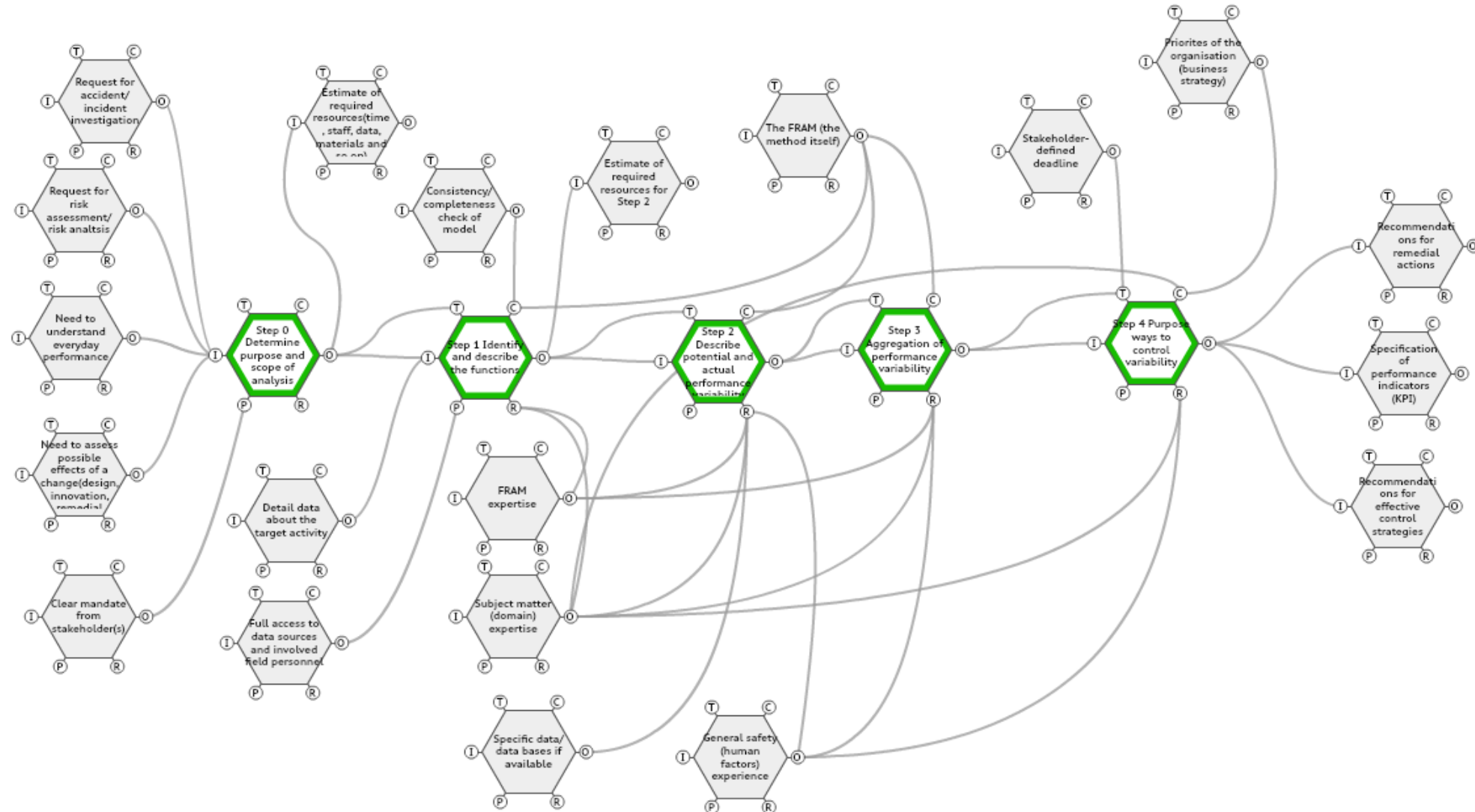
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# Outline

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1. Qualitative Analysis in FRAM
2. Data Analysis
3. Weight Function Model
4. Conclusion

# Traditional Qualitative FRAM



# The Problems with FRAM

## Describe & Aggregate Variability

- Very subjective
- Time consuming
- Difficult to interpret

Possible source of variability		Likelihood
Internal	Very many, physiological and psychological	High frequency, large amplitude
External	Very many, social and organisational	High frequency, large amplitude

**Potential Output variability with regard to time**

<input type="radio"/> Too early	Possible (snap answer, serendipity)
<input type="radio"/> On time	Possible, should be typical
<input type="radio"/> Too late	Possible, more likely than too early
<input type="radio"/> Not at all	Possible, to a lesser degree

**Potential Output variability with regard to precision**

<input type="radio"/> Precise	Possible, but unlikely
<input type="radio"/> Acceptable	Typical
<input type="radio"/> Imprecise	Possible, likely

# Research Aim

## How to solve the problem?

- More brainstorming?
- More time spending?
- More experts?

## Purposed solution

- Semi-Quantitative to analyze

Possible source of variability		Likelihood
Internal	Very many, physiological and psychological	High frequency, large amplitude
External	Very many, social and organisational	High frequency, large amplitude

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# Steps of FRAM

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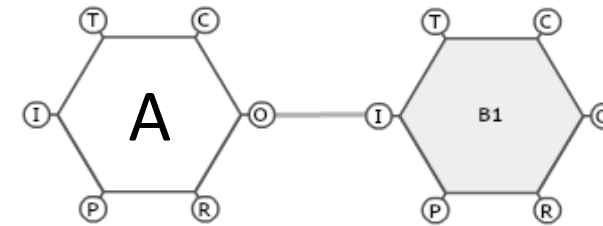
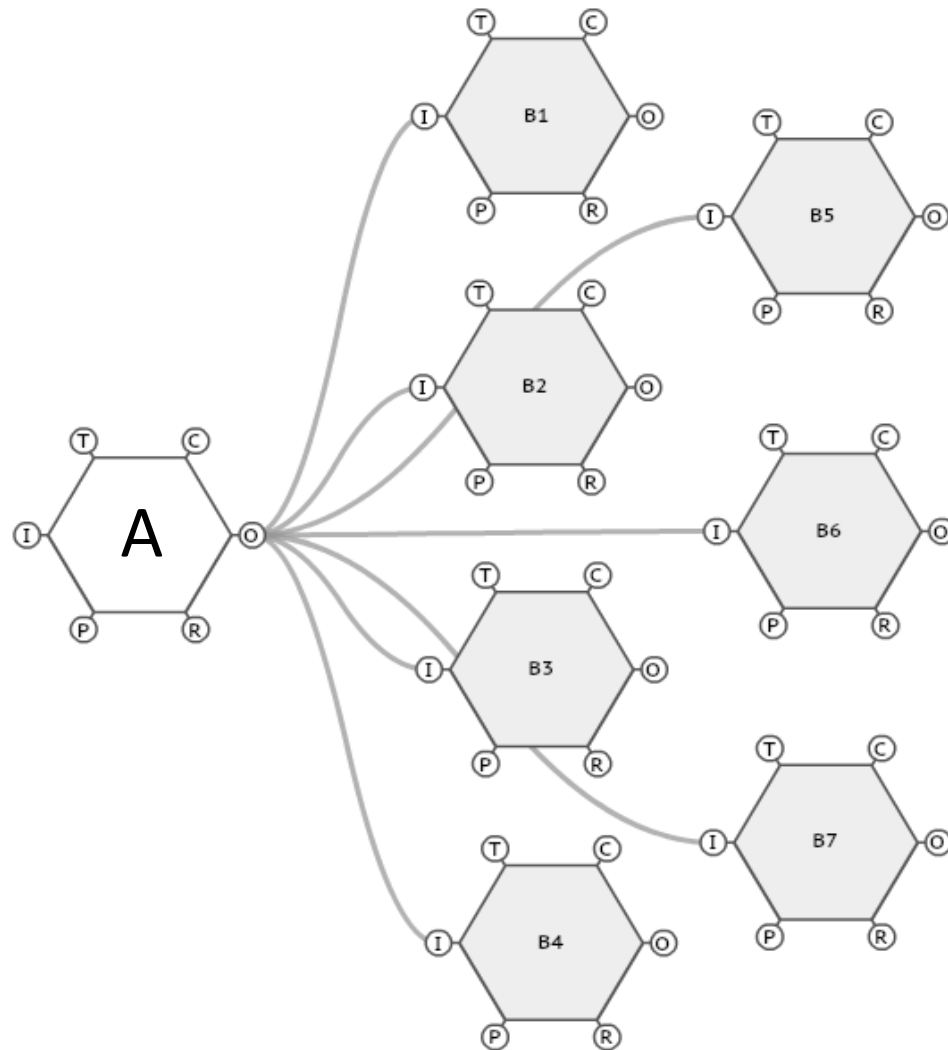
- 0: Describe purpose of modeling
- 1: Describe essential functions
- 2: Characterize variability
- 3: Analyze instantiations
- 4: Propose way to manage the performance

# Steps of FRAM

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- 0: Describe purpose of modeling
- 1: Describe essential functions
- 2: Characterize variability
- 2.5: Characterize the weight of function and couple
- 3: Analyze instantiations
- 4: Propose way to manage the performance

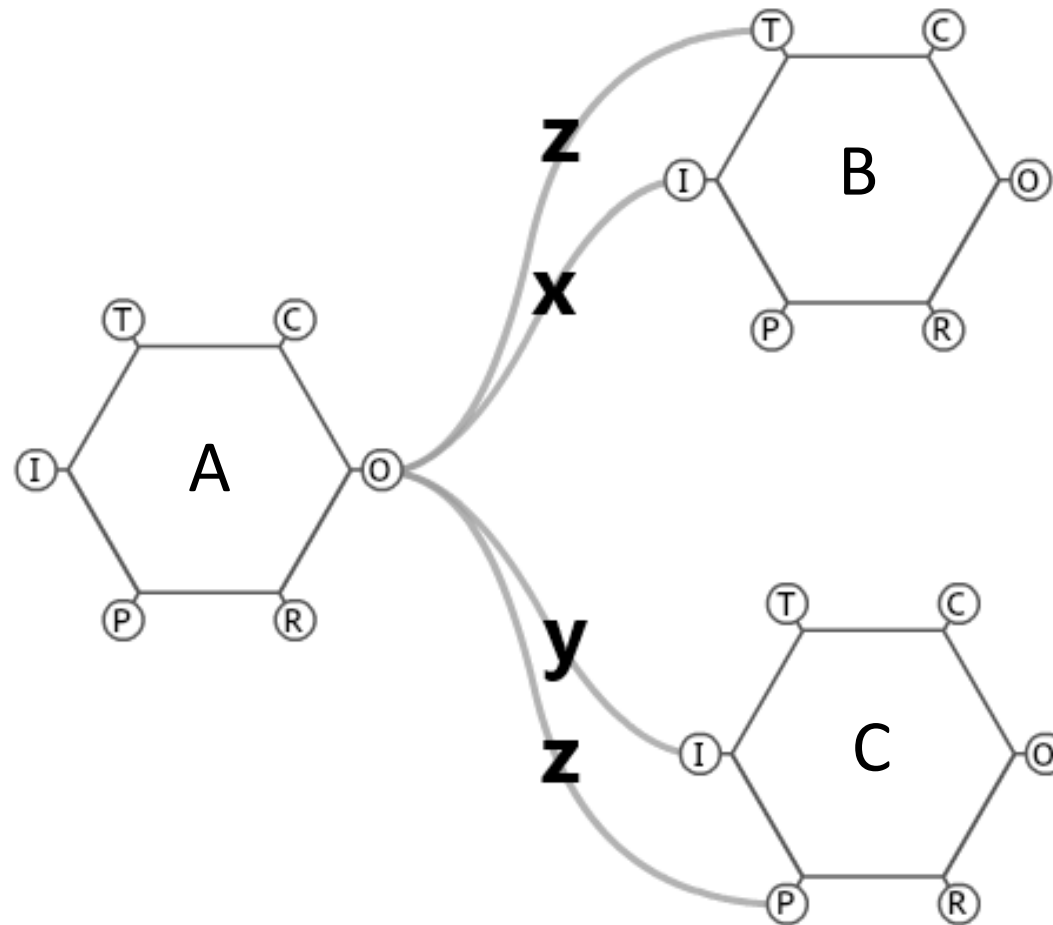
# The Importance of Function





# The Importance of Coupling

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# Significant Imbalance

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## Difference of significant

- Core function vs Interface function
- Same upstream difference downstream

## Manually assign the weight?

- More expert?
- More vagueness?

# Deal with Resonance?

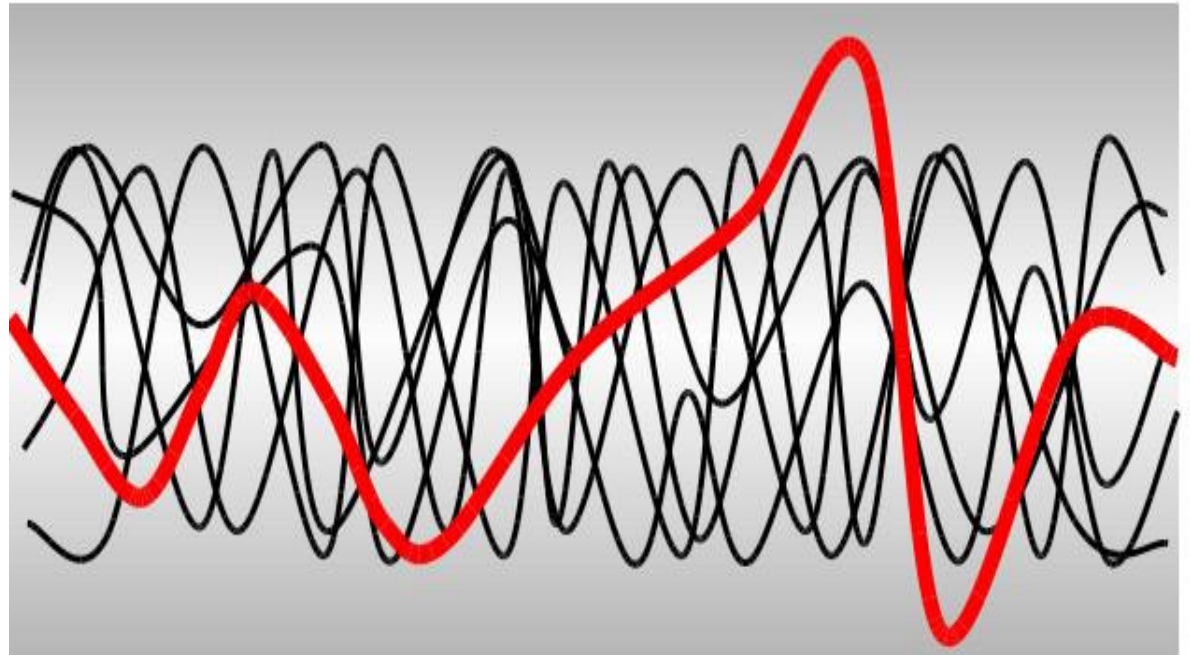
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## Characteristic of resonance

- Special case
- Pattern
- Combination of failure

## Statistical data

- Large number of test cases
- Reliable



*Ref: Introduction to FRAM - The Four Underlying Principles*

# Group of Data

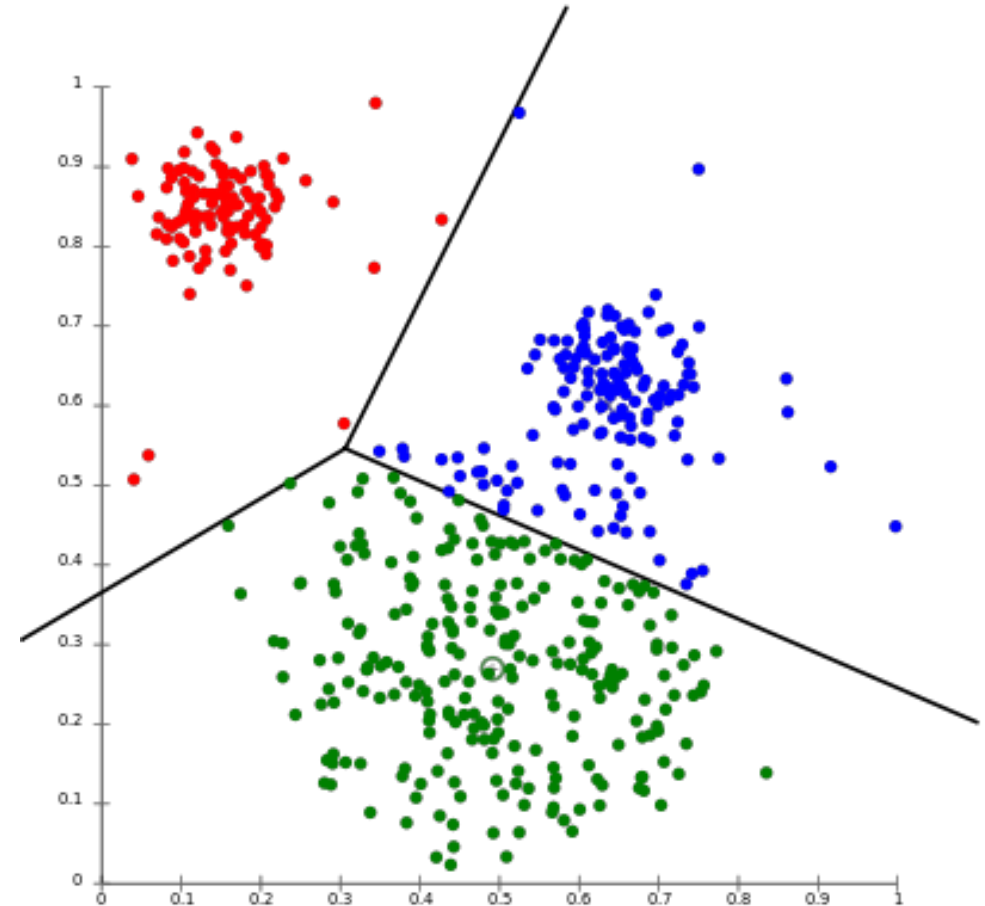
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## Data in the same group

- Share the similar behavior
- Combination of specific behavior

## Data in the difference group

- Distinct by some behavior



Ref: [https://en.wikipedia.org/wiki/Cluster\\_analysis](https://en.wikipedia.org/wiki/Cluster_analysis)

# Weight Function Model

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$$O_i = W_i \prod_a V_i^a$$

$O_i$  = output variability of function i

$W_i$  = weight of function i

$V_i^a$  = variability of function i respect to phenotypes  $a$

Phenotypes of variability

= {time, precision, speed, object, direction, force}

# Weight Function Model

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$$C_i = \sum_{j=0}^N \sum_{k=0}^R \left( W_{ijk} \prod_a V_i^a * W_j \prod_a V_j^a \right)$$

$C_i$  = coupling variability of function i

$W_{ijk}$  = weight of coupling k of function i and j

$N$  = number of functions in the system

$R$  = number of coupling of function i and j

# Weight Function Model

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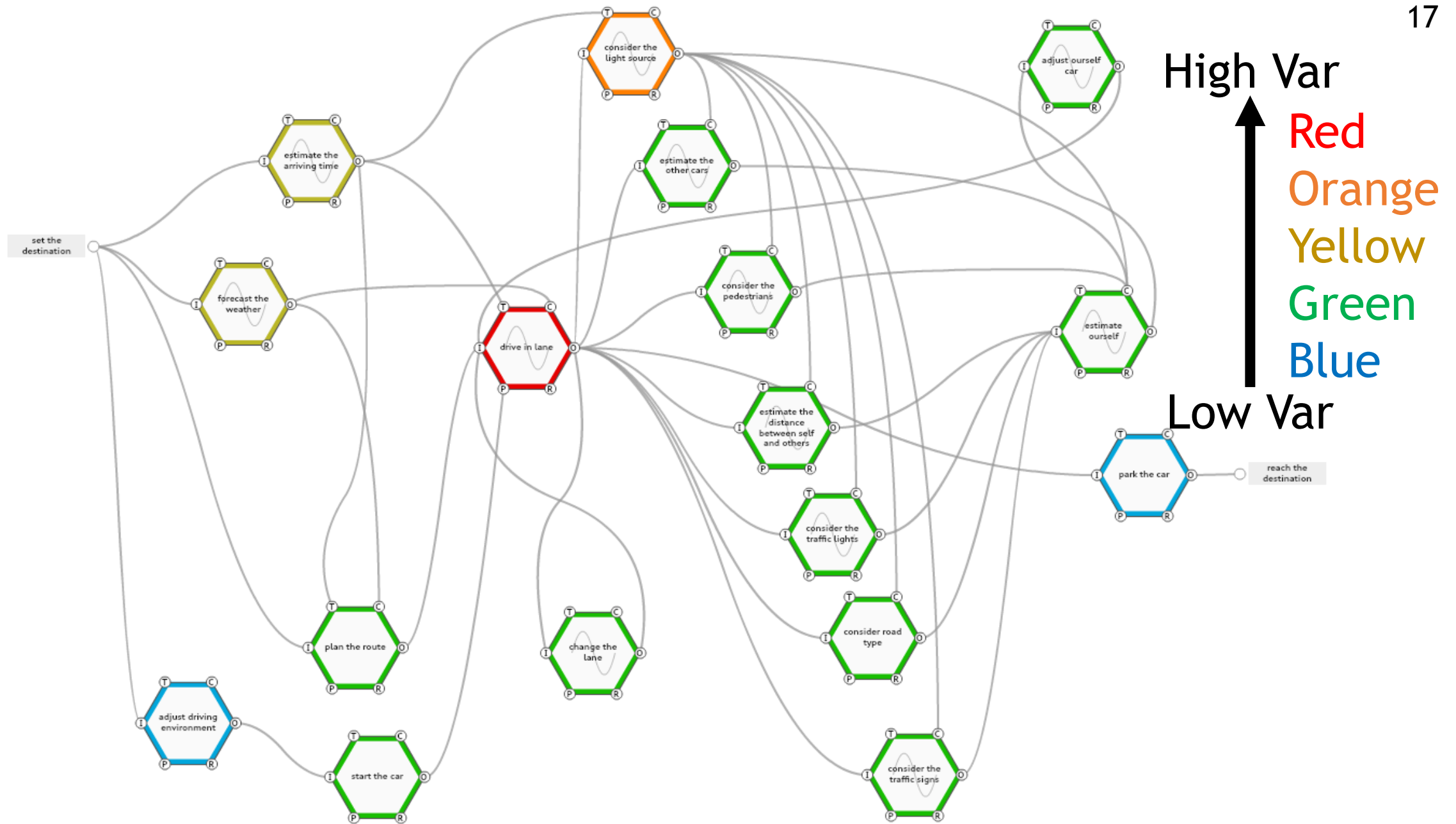
$$S = \sum_{i=0}^N \left( W_i \prod_a V_i^a + \sum_{j=0}^N \sum_{k=0}^R \left( W_{ijk} \prod_a V_i^a * W_j \prod_a V_j^a \right) \right)$$

$S$  = summation of system variability

Summation of variability from each functions in system



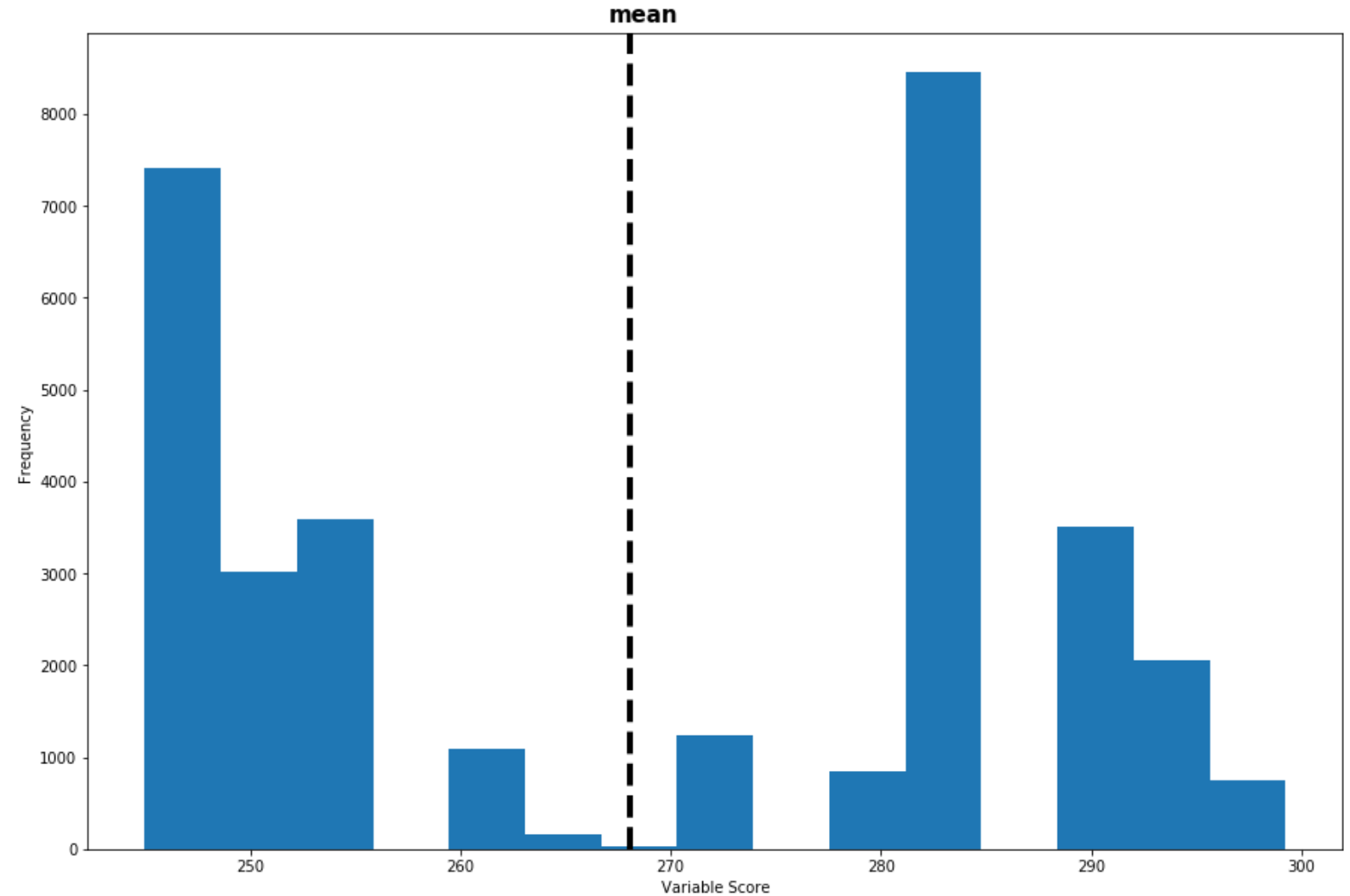




# Experiment with Dataset

## Dataset

- Min: 244.97
- Max: 299.26
- Mean: 272.02



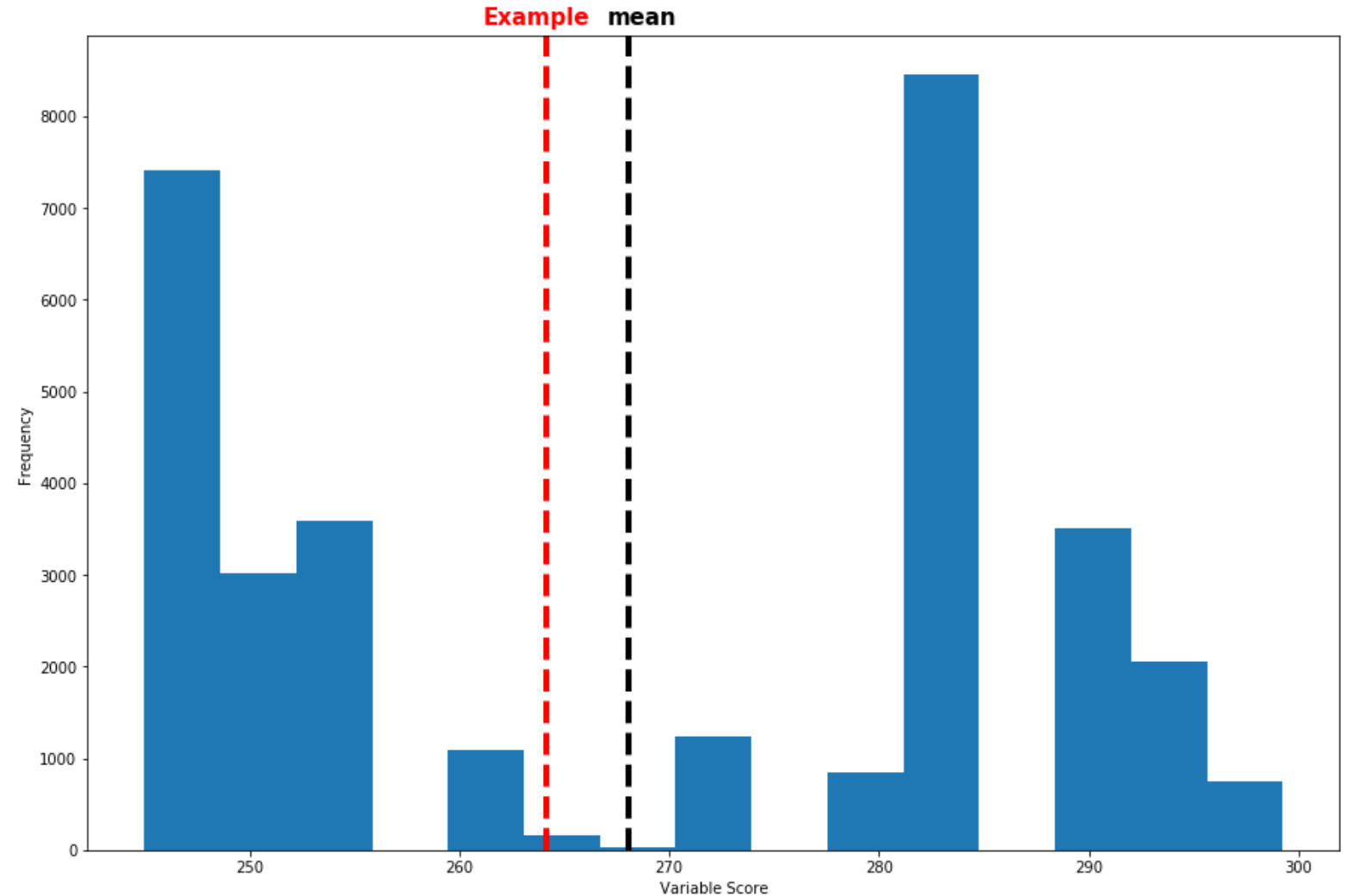
# Example of One Possibility

## Dataset

- Min: 244.97
- Max: 299.26
- Mean: 272.02

## Example Event

- Score: 264.10



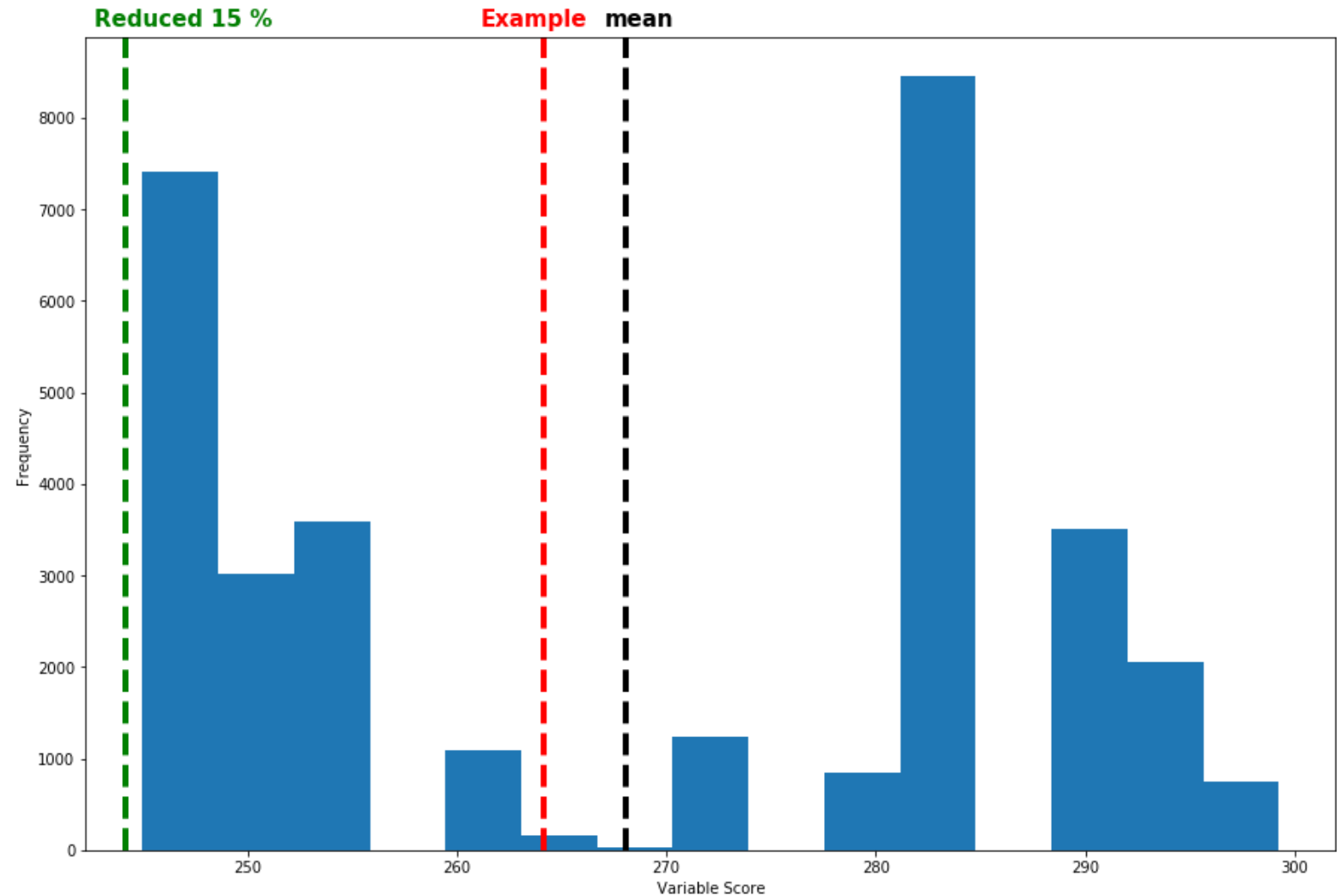
# Reducing Core Function Variability

## Dataset

- Min: 244.97
- Max: 299.26
- Mean: 272.02

## Example Event

- Score: 264.10
- Reduce 15%: 244.16



# Conclusion

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$$S = \sum_{i=0}^N \left( W_i \prod_a V_i^a + \sum_{j=0}^N \sum_{k=0}^R \left( W_{ijk} \prod_a V_i^a * W_j \prod_a V_j^a \right) \right)$$

## Problems

- Very subjective
- Time consuming
- Difficult to interpret

## How to solve the problems?

- More brainstorming?
- More time spending?
- More experts?